# Believe me when I say green!

Heterogeneous expectations and climate policy uncertainty

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- Urgent to decarbonise
  - $\rightarrow\,$  Reorient private investment choices to low-carbon capital
- Firms' investment decisions depend on expected costs/profits
  - $\rightarrow\,$  Expectations on strength/timing of future climate policies
- How do firms form climate policy expectations?
  - Policy objectives as expectation anchor
  - Several longer-term announcements recently (net-zero dates  $\rightarrow$  implicit carbon price trajectory)
- But will policy-makers actually deliver?

#### Numerous recent cases of policy reversals



Tony Abbott (2014)

"..the repeal of the carbon tax means a \$550 a year benefit for the average family" "On energy, I will cancel job-killing restrictions on the production of American energy - including shale energy and clean coal - creating many millions of high-paying jobs"



Donald Trump (2016)

## Common reason for reversals: perceived transition costs

- Concerns regarding costs (unemployment, stranding, financial volatility) associated with low-carbon transition
- $\rightarrow\,$  Revision/withdrawal of announced plans



Gilets Jaunes movement in France (2018)



Kazakhstan protests after LPG price cap lift (2022)

### Heterogeneous climate policy sentiments

• Uncertainty + behavioural factors  $\rightarrow$  Heterogeneous beliefs on policy credibility  $\rightarrow$  Heterogeneous carbon price expectations



• However.. scarce data available!

Distribution of expected carbon price in the EU Emission Trading Scheme for different time horizons. Source: Cahen-Fourot et al. (2022). Data from Refinitiv (2021)

- Dynamic model focusing on investment allocation choices
  - Two technologies: low-carbon (1) vs high-carbon (h)
  - Investment allocation depends on heterogeneous expected cost differentials
- Carbon price expectations affect investment choices
  - Firms observe policy-maker climate policy announcements
  - They evaluate its credibility: believers (b) vs sceptics (s)
  - Policy-maker can default on goals with high transition risks
- Two key features of the model:
  - Heterogeneity of beliefs/expectations and behavioural frictions
  - Policy uncertainty and credibility

### **Overview of results**

- Analytical results (using reduced version)
  - Two steady states can exist depending on tax announcement and policy-maker commitment level
  - Ambitious announcements and weak commitment create multiple equilibria (a 'high-carbon trap')
  - Behavioural frictions → 'behavioural premiums' on tax announcement and commitment minimum levels
- Numerical results (calibrated to EU economy)
  - Full commitment: decarbonisation almost always achieved but behavioural frictions affect transition speed
  - Weak commitment: loss of credibility can lead to vicious circles of increasingly high-carbon investments and weaker climate policies, ultimately leading to transition failure
  - In both cases: non-linear effects of belief polarisation

### Literature

- Three broad literature connections
  - Climate policy credibility and uncertainty (e.g. Nemet et al. 2017; van der Ploeg and Rezai, 2020; Fried, 2021)
  - Policy time inconsistency (e.g. Kydland and Prescott, 1977; Barro and Gordon, 1983)
  - Bounded rationality and heterogeneous/biased expectations (Bordalo et al., 2022; Hommes, 2021)
- Few closely related papers
  - Cahen-Fourot et al. 2022: forward-looking probit model with capital 'stranding' expectations
  - Annicchiarico et al. 2022: belief switching in E-DSGE
  - Zeppini 2015; Mercure 2015: logit model for tech adoption
  - Cafferata et al. 2021; Davila-Fernandez et al. 2020: Switching green policy attitudes
  - Galanis 2022: International environmental agreements

The model

# Methodological foundations

- Methodological foundations
  - Heterogeneous expectation framework a là Brock and Hommes (1997); see Hommes (2021)
  - Dispersion of beliefs/expectations due to 'unobservables' (discrete choice theory: McFadden, 1974)
  - Behavioural frictions interpretation
  - From 'neoclassical limit' without frictions to entirely random (full hedging) investment choices
- Two key behavioural dimensions in our model
  - Backward-looking responsiveness of beliefs to policy-maker credibility ( $\beta$ )
  - Forward-looking responsiveness of investment decisions to perceived cost differentials ( $\gamma$ )

- At time t<sub>0</sub>, the policy-maker announces a schedule of future carbon tax targets \(\bar{\alpha}\_t\)
- We assume an exponential tax announcement

$$\bar{\tau}_t = \bar{\tau}_0 (1 + \bar{g}_\tau)^t$$

where  $\bar{\tau}_0$  is initial tax rate and  $\bar{g}_{\tau}$  is the announced growth rate of  $\tau$ .

- Firms have heterogeneous beliefs about credibility of policy commitment
  - Two belief categories: believers (b) trust policy-makers announcements more than sceptics (s)
- The expected tax growth rate is

$$E_j(g_{ au}) = \epsilon_j \bar{g}_{ au}$$

with  $j = b, s, \epsilon_j \in [0, 1]$  indicating the degree of trust in the announced policy, and  $\epsilon_b > \epsilon_s$ 

#### How do firms choose their beliefs?

- In every t, firms
  - Observe tax actually implemented  $\boldsymbol{\tau}$
  - Compute accuracy  $U_{j,t}$  of both belief predictions

$$U_{j,t} = \eta |E_{j,t-1}(\tau_t) - \tau_t| + (1 - \eta)U_{j,t-1}$$

• Believers' share  $n \in (0,1)$  is determined by

$$n_t = \frac{\exp(-\beta U_{b,t-1})}{\sum_j \exp(-\beta U_{j,t-1})}$$

- β: belief responsiveness (to what extent firms react to prediction errors)
  - $\beta = 0$ : high behavioural frictions and random choice
  - $\beta \to \infty:$  'neoclassical limit', no behavioural frictions and bang-bang solutions

 Depending on expected tax, firms evaluate the net present value Θ<sub>i</sub> of expected production costs of technology i

$$E_{j,t}(\Theta_{i,t}) = \sum_{r=1}^{R} D^{r} \theta_{i,t+r} \left[ 1 + E_{j,t-1}(\tau_{i,t+r}) \right]$$

where

- D: discount factor
- R: planning horizon
- $\theta$ : *i*-specific production costs
- $\tau$ : tax rate on high-carbon production costs  $\theta_h$

- Based on expected discounted technological costs  $(E_{j,t}(\Theta_{l,t}))$ , firms allocate their investment between low- and high-carbon
- Low-carbon investment share for belief type j,  $\chi_{j,t} \in (0,1)$ :

$$\chi_{j,t} = \frac{\exp(-\gamma E_{j,t}(\Theta_{I,t}))}{\sum_{i} \exp(-\gamma E_{j,t}(\Theta_{i,t}))}$$

- γ: investment responsiveness (to what extent firms react to cost differentials)
  - $\gamma = 0$ : high behavioural frictions and random choice
  - $\gamma \to \infty:$  'neoclassical limit', no behavioural frictions and bang-bang solutions

• The low-carbon investment share for the overall economy is

$$\chi_t = n_{b,t}\chi_{b,t} + n_{s,t}\chi_{s,t}$$

• We define the low-carbon share of capital

$$\kappa_t \equiv \frac{K_{l,t}}{\sum_i K_{i,t}}$$

### Transition risks and policy commitment

- Policy-maker evaluates transition risks as a function of
  - Announced policy stringency  $(\bar{\tau})$
  - Carbon intensity of economic system  $(\kappa)$
- Transition risk index  $\pi \in [0, 1]$ :

$$\pi_t = 1 - \frac{1}{1 + a(1 - \kappa_t)\bar{\tau}_t}$$

where a represents vulnerability to transition risks Chart

• Policy-maker then sets actual tax rate  $\tau$  following:

$$\tau_t = c\bar{\tau}_t + (1-c)\bar{\tau}_t(1-\pi_t)$$

where  $c \in [0, 1]$  is the policy-maker commitment to climate objectives against transition cost mitigation

# **Analytical results**

- Reduced version of the model
  - e.g.  $\bar{\tau}$  fixed;  $\eta = 1$ ;  $\epsilon_s = 0$ ;  $\epsilon_b = 1$
- Dynamical system:  $\kappa_{t+1} = f(\kappa_t)$  Details
- We consider two scenarios, differing in terms of belief and investments responsiveness
  - Neoclassical limit:  $\beta = \gamma = \infty$
  - Behavioural frictions:  $0 < \gamma < \infty$ ;  $0 < \beta < \infty$

#### Steady states in the neoclassical limit



- Low-carbon steady state  $\kappa_I^* = 1$  exists if  $\bar{\tau} > \frac{\theta_I \theta_h}{\theta_h} \equiv \bar{\tau}^*$
- High-carbon steady state  $\kappa_h^* = 0$  exists if  $\bar{\tau} < \bar{\tau}^*$  or  $c < \frac{1}{2} \mu_1 \equiv c^*$ , where  $\mu_1 = \frac{\bar{\tau} \tau_0(1 + a\bar{\tau})}{2a\bar{\tau}^2} > 0$

#### Steady states under behavioural frictions

• A low-carbon steady state  $\kappa_l^* = 1 - \lambda_l$  exists if a positive real number  $\tilde{\lambda}_l$  exists such that Details

$$\bar{\tau} > \frac{\theta_l - \theta_h}{\theta_h} + \nu_{\tau l} \equiv \bar{\tau}^{**} \quad \text{and} \quad c > \frac{1}{2} - \mu_2 + \nu_{cl} \equiv c^{**}$$

• A high-carbon steady state  $\kappa_h^* = \chi_s + \lambda_h$  exists if a positive real number  $\tilde{\lambda}_h$  exists such that Details

$$c < rac{1}{2} - \mu_3 + 
u_{ch} \equiv c^{***}$$

- $\nu$  parameters are 'behavioural premiums':
  - The higher behavioural frictions, the stronger should be tax announcements and commitment for low-carbon SS to exist
  - But they also decrease the commitment level below which a high-carbon SS exists

### Steady states in the behavioural frictions



- Compared to neoclassical limit scenarios, two new regions:
  - Unambitious but committed policy-maker  $\rightarrow$  mid-carbon SS
  - Very ambitious but weakly committed policy-maker  $\rightarrow$  Unique high-carbon SS

#### High-carbon trap drivers



Bifurcation diagrams. Default parameter values:  $\bar{\tau} = 6$ , c = 0.3,  $\gamma = 0.5$ ,  $\beta = 1$ .

# **Numerical Results**

- Technological parameters (e.g. production costs)
  - Calibrated to European power sector
- Behavioural parameters
  - In particular: investment and belief responsiveness  $\beta$  and  $\gamma$
  - Literature + sensitivity analysis
- Policy parameters
  - Calibrated on policy objectives + IAM projections
  - Scenario analysis
- Time: 320 quarters (2020-2100)

Details

#### Benchmark transition scenario



Evolution over time of selected variables under full commitment (c = 1).

# The role of behavioural frictions under full commitment



Low-carbon capital share  $\kappa$  as a function of belief responsiveness  $\beta$  and investment responsiveness  $\gamma$ , under c = 1, in (a) 2050 and (b) 2080.

- Behavioural factors affect transition speed
- Higher belief frictions (low  $\beta$ ) hamper the transition
- Non-linear impact of  $\gamma$  in the medium-run

#### The credible commitment problem



 Weak commitment → credibility loss → more high-carbon investments → higher transition risks → further distance from target → further loss of credibility → .. and so on

#### Tax announcements and policy-maker's commitment



Low-carbon capital share  $\kappa$  as a function of the tax target growth rate  $\bar{g}_{\tau}$  and commitment c, in (a) 2050 and (b) 2080.

• High ambition and low commitment endogenously lead to a transition failure

## The role of behavioural frictions under weak commitment



Low-carbon capital share  $\kappa$  as a function of belief responsiveness  $\beta$  and investment responsiveness  $\gamma$ , under c = 0.3, in (a) 2050 and (b) 2080.

- Higher  $\beta$  hampers transition as firms realise weak commitment
- Even higher  $\beta$  allows transition to take and keep enough momentum in early decades

### Belief responsiveness and belief polarisation



Low-carbon capital share  $\kappa$  as a function of sceptics' discounting of the tax target growth rate  $\epsilon_s$  and belief responsiveness  $\beta$ , under c = 0.3, in (a) 2050 and (b) 2080.

- For higher  $\beta$ , non-monotonic effect of belief polarisation
- But for lower  $\beta$ , strong polarisation leads to transition failure

# Conclusions

# Conclusions

- Transition model with
  - Behavioural frictions creating heterogeneity of expectations
  - Policy uncertainty and credibility
- Main results
  - Climate policy should be both ambitious and credible
  - Danger: Ambitious announcements by weakly committed policy-maker  $\rightarrow$  emergence of high-carbon traps
  - Behavioural frictions (heterogeneity) makes the policy-maker's job harder, although they also help avoiding very bad equilibria
  - Belief polarisation can have non-linear effects on transition dynamics

# • Policy implications

- Data on expectations and their distribution needed
- Ability to orient expectations: what is most appropriate policy/institutional framework?
- Get the ambition right: too little and too much are both dangerous for transition dynamics
- Further work
  - Endogenous commitment; electoral cycles
  - Wider macro behaviour (endogenous growth)
  - Financial investment choices
  - Climate physical impacts







# Thank you!

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# **Additional slides**

#### Transition risk index



Transition risk index  $\pi$  as a function of  $\kappa$  and  $\overline{\tau}$ , for two distinct levels of a.

#### Dynamics of the low-carbon capital share

- Simplifying assumptions for analytical tractability
  - +  $\bar{\tau}$  is treated as a fixed parameter
  - $\eta = 1$

• 
$$\epsilon_s = 0 \rightarrow E_s(\tau_t) = \tau_0 \forall t$$

- $\epsilon_b = 1 \rightarrow E_s(\tau_t) = \bar{\tau} \forall t$
- $\kappa$  evolves as follows:

$$\kappa_{t+1} = n_{b,t+1}(\chi_{b,t+1} - \chi_s) + \chi_s$$

where  $n_{b,t+1}$  is a function of  $\kappa_t$ :

$$egin{split} m_{b,t+1} &= rac{1}{1+\exp\left(-eta\left(2 au_t-ar{ au}_0-ar{ au}
ight)
ight)} \ au_t &= ar{ au}\left(c+rac{1-c}{1+a(1-\kappa_t)ar{ au}}
ight) \end{split}$$

#### Dynamical system and steady states

Dynamical system in  $\kappa$ 

$$\kappa_{t+1} = (\chi_b - \chi_s) n_{t+1} + \chi_s \equiv f(\kappa_t),$$

with

$$n_{t+1} = \left[1 + \exp\left(-\beta \left\{2\bar{\tau}\left[c + \frac{1-c}{1+a(1-\kappa_t)\bar{\tau}}\right] - \tau_0 - \bar{\tau}\right\}\right)\right]^{-1}$$

**Proposition 1.**  $f(\kappa)$  has at least one stable equilibrium and generally an overall odd number of equilibria exists

- Equilibria with odd index are stable
- Equilibria with even index are unstable

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#### Steady states under behavioural frictions (I)

**Proposition 3 (part I)** Under the assumption of finite  $\beta$  and  $\gamma$ ,

(i) A low-carbon steady state  $\kappa_l^* = 1 - \lambda_l$  exists if a positive real number  $\tilde{\lambda}_l$  exists such that

$$\bar{\tau} > \frac{\theta_l - \theta_h}{\theta_h} + \nu_{\tau l} \equiv \bar{\tau}^{**} \quad \text{and} \quad c > \frac{1}{2} - \mu_2 + \nu_{cl} \equiv c^{**}$$
(1)

where

$$\begin{split} \tilde{\lambda}_{I} &= \lambda_{I} + \varepsilon_{I}, \text{ with } \varepsilon_{I} \text{ a small positive number and} \\ \tilde{\lambda}_{I} &\in \left(0, \frac{1}{2}\right), \\ \nu_{\tau I} &= -\ln\left(\frac{\tilde{\lambda}_{I}}{1 - \tilde{\lambda}_{I}}\right) \rho\{\gamma \theta_{I}(1 + \rho) \left[1 - (1 + \rho)^{-(R+1)}\right]\}^{-1} \\ \nu_{cI} &= -\ln\left(\frac{\chi_{b} - 1 + \tilde{\lambda}_{I}}{1 - \tilde{\lambda}_{I} - \chi_{s}}\right) (2\bar{\tau}\beta)^{-1} \left(1 + \frac{1}{a\tilde{\lambda}_{I}\bar{\tau}}\right), \text{ and} \\ \mu_{2} &= \frac{\bar{\tau} - \tau_{0}(1 + a\tilde{\lambda}_{I}\bar{\tau})}{2a\tilde{\lambda}_{I}\bar{\tau}^{2}} > 0. \end{split}$$

**Proposition 3 (part II)** Under the assumption of finite  $\beta$  and  $\gamma$ ,

(ii) A high-carbon steady state  $\kappa_h^* = \chi_s + \lambda_h$  exists if a positive real number  $\tilde{\lambda}_h$  exists such that

$$c < \frac{1}{2} - \mu_3 + \nu_{ch} \equiv c^{***}$$
 (2)

where

$$\begin{split} \tilde{\lambda}_{h} &= \lambda_{h} + \varepsilon_{h}, \text{ with } \varepsilon_{h} \text{ a small positive number and} \\ \tilde{\lambda}_{h} &\in (0, \chi_{b} - \chi_{s}), \\ \nu_{ch} &= -\ln\left(\frac{\chi_{b} - \chi_{s} - \tilde{\lambda}_{h}}{\tilde{\lambda}_{h}}\right) (2\bar{\tau}\beta)^{-1} \left\{1 + \frac{1}{a[1 - (\chi_{s} + \tilde{\lambda}_{h})]\bar{\tau}}\right\}, \\ \text{and} \\ \mu_{3} &= \frac{\bar{\tau} - \tau_{0}\{1 + a[1 - (\chi_{s} + \tilde{\lambda}_{h})]\bar{\tau}^{2}\}}{2a[1 - (\chi_{s} + \tilde{\lambda}_{h})]\bar{\tau}^{2}} > 0 \end{split}$$

**Proposition 4.** Once the planned tax meets its condition set in (1), a sufficient but not necessary condition for the uniqueness of the low-carbon steady state is:

$$\bar{\tau} < \frac{1}{\beta(1-c)}.\tag{3}$$

- Exogenous macro landscape:  $g_Y \approx 2\%$  per year
- European power sector (LCOE data from IEA)

Parameter	Symbol	Value
Output growth rate	gy	0.5%
Depreciation rate	δ	1.77%
Initial low-carbon capital share	$\kappa_0$	0.2
Low- to high-carbon production cost	$\frac{\theta_I}{\theta_h}$	1.36

# Calibration: Beliefs and investment decisions

- Initial belief shares
  - Endogenously determined but in line with Refinitiv Carbon Market Survey)
- Belief responsiveness
  - $\beta = 1$  following Hommes (2021) + sensitivity analysis
- Investment responsiveness  $\gamma=1$ 
  - $\chi$  to fit initial investment shares values
  - Transition as planned with full commitment

Parameter	Symbol	Value
Discount rate	ρ	1.7%
Planning horizon	R	120
Initial shares of believers	<i>n</i> 0	0.3
Policy trust parameters	$\epsilon_b;\epsilon_s$	1; 0
Belief responsiveness	$\beta$	1
Memory parameter	$\eta$	0.5
Investment responsiveness	$\gamma$	1

### Calibration: Policy decisions

- Current tax  $\bar{\tau}_0$  calibrated on 2020 EU-ETS allowance prices
- Announced growth rate  $\bar{g}_{\tau}$  calibrated on optimal mitigation pathways to reach 1.5-2°C
  - ENGAGE project involving 16 IAMs
- a = 1 to have low transition risk costs in 2020 ( $\pi_0 \approx 0.15$ ) and have  $\pi_0 \approx 0.5$  for  $\bar{\tau} \approx 1.2$

Parameter	Symbol	Value
Announced initial tax rate	$\bar{ au}_0$	0.15
Announced tax growth rate	$ar{g}_ au$	0.016
Transition risk index parameter	а	1
Policy-maker tax commitment	С	[0,1]

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# Investment responsiveness and belief polarisation (c = 1)



Low-carbon capital share  $\kappa$  as a function of sceptics' discounting of the tax target growth rate  $\epsilon_s$  and investment responsiveness  $\gamma$ , under c = 1, in (a) 2050 and (b) 2080. All other parameters at their default value.

# Belief responsiveness and belief polarisation (c = 1)



Low-carbon capital share  $\kappa$  as a function of sceptics' discounting of the tax target growth rate  $\epsilon_s$  and belief responsiveness  $\beta$ , under c = 1, in (a) 2050 and (b) 2080. All other parameters at their default value.

# Investment responsiveness and belief polarisation (c = 0.3)



Low-carbon capital share  $\kappa$  as a function of sceptics' discounting of the tax target growth rate  $\epsilon_s$  and investment responsiveness  $\gamma$ , under c = 0.3, in (a) 2050 and (b) 2080. All other parameters at their default value.